

Bridge Design Details 2E October 2019

Horizontal Curve Equations

BC = Beginning of Curve

EC = End of Curve

d = Deflection Angle for point on curve

 Δ = Delta or Central Angle

L = Length along Curve (BC to POC)

L = Length of Curve = $\frac{2\pi R}{360^{\circ}}\Delta$

LC = Long Chord = $2R(1-\sin\frac{\Delta}{2})$

M = Middle Ordinate = $R(1-\cos\frac{\Delta}{2})$

PC = Point of Curvature

PI = Point of Intersection

POC = Point on Curve

PT = Point of Tangency

R = Radius

T = Tangent Distance = $R \tan \frac{\Delta}{2}$

$$Ex = External = \left(\frac{R}{\cos\frac{\Delta}{2}} - R\right)$$

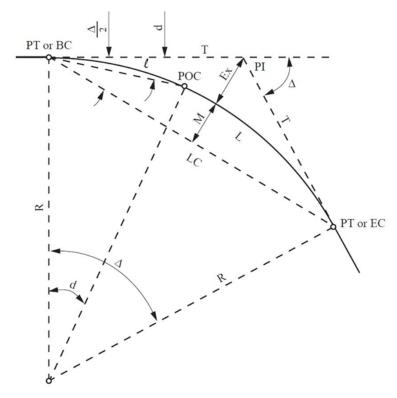


Figure 2A.E.1 Horizontal Curve Functions

All Curve Data may be obtained with two of the following curve parameters:

- Delta (∆)
- Radius
- Tangent
- Length
- External



Example:

Given Length and Radius, solve for Delta Δ .

T= R
$$\tan \frac{\Delta}{2}$$
 L = $\frac{2\pi R}{360^{\circ}} \Delta$
 $\tan \frac{\Delta}{2} = \frac{T}{R} \Rightarrow 2 \tan^{-1}(\frac{T}{R}), \Delta \text{ in degrees}$
 $\Delta \text{ in degrees} = \frac{L \times 3,437.7467}{R}$

Example:

Given Radius and Delta Δ , solve for L.

$$L = \frac{2\pi R\Delta}{360^{\circ}} \text{ or } L = R \text{ func} \Delta \Rightarrow \frac{L}{2\pi R} = \frac{\Delta}{360^{\circ}} \Rightarrow L = \frac{2\pi R}{360^{\circ}} \Delta \quad \text{ where } \Delta \text{ is in degrees}$$

$$d = \frac{\Delta d}{2} \text{ where } \frac{\Delta d}{360^{\circ}} = \frac{\ell}{2\pi R} \Rightarrow d = \frac{180\ell}{2\pi R} \text{ (in degrees)}$$

$$Ex = \frac{R}{\cos \frac{\Delta}{2}} - R \Rightarrow R \left(\frac{1}{\cos \frac{\Delta}{2}} - 1 \right)$$

$$R - R\cos\frac{\Delta}{2} \Rightarrow R\left(1 - \cos\frac{\Delta}{2}\right)$$