

Appendix D Example 11 – Bolted Joints - Double Shear

Refer to *Falsework Manual*, Section 5-3, *Timber Fasteners*. This example demonstrates how to calculate the capacity of the connection between a double diagonal brace and post. For this example, 2 % dead load is the governing load.

Given Information

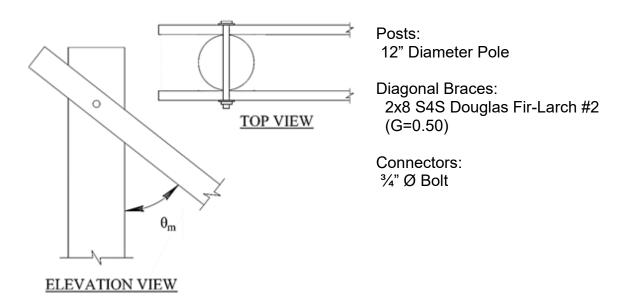


Figure D-11-1. Post and Double Brace Bolted Joint

Determine the connection capacity between brace and post for 2% Dead Load

Main Member Properties		Side Member Properties	
$d_{pole} = 12 in$	diameter	$I_s = 1.5 in$	thickness (2x8)
$\theta_{\rm m} = \tan^{-1}(\frac{4}{3}) = 53.13^{\circ}$	angle between direction of loading & direction of grain	$t_s = l_s = 1.5 \text{ in}$	
G = 0.50	Specific Gravity NDS Table 12.3.3	θ _s = 0°	angle between direction of loading & direction of grain

Connector Properties

Find equivalent square section width of pole:

$$I_{\rm m} = \sqrt{\pi \left(\frac{d_{\rm pole}}{2}\right)^2} = 10.63 \text{ in (NDS 3.7.3)}$$

$$t_m = I_m = 10.63$$
 in

Find Dowel Bearing Strength at an Angle to Grain (NDS Section 12.3.4):

$$F_{e,perp} = \frac{6100G^{1.45}}{\sqrt{D}} = 2578 \text{ psi}$$
 Dowel Bearing Strength Perpendicular to Grain (NDS table 12.3.3 footnote 2)

Compare values to NDS Table 12.3.3:

Use calculated value for F_{perp} = 2578 psi

Find Dowel Bearing Strength at an Angle to Grain (NDS Section 12.3.4):

$$F_{em} = \frac{F_{e.pll}F_{perp}}{F_{e.pll}(\sin(\theta_m))^2 + F_{perp}(\cos(\theta_m))^2} = 3200 \text{ psi}$$

$$F_{es} = \frac{F_{e.pll}F_{perp}}{F_{e.pll}(sin(\theta_s))^2 + F_{perp}(cos(\theta_s))^2} = 5600 \text{ psi}$$

Find Reduction Term, Rd (NDS Table 12.3.1B):

$$\theta = \max(\theta_m, \theta_s) = 53.13^{\circ}$$
 Maximum angle between direction of load and direction

$$K_{\theta} = 1 + 0.25 \frac{\theta}{90 \text{ deg}} = 1.15$$

$$R_{d-1} = 4 K_{\theta} = 4.59$$
 Reduction Term for Yield Mode I_m and I_s

$$R_{d \mid I} = 3.6 K_{\theta} = 4.13$$
 Reduction Term for Yield Mode II

$$R_{d\ III,IV} = 3.2 K_{\theta} = 3.67$$
 Reduction Term for Yield Mode III_m , III_s , and IV

Find Yield Limit Equations for Single Shear (NDS Table 12.3.1A):

$$R_e = \frac{F_{em}}{F_{es}} = 0.571$$

$$R_t = \frac{I_m}{I_s} = 7.09$$

Note: Values for k₁ and k₂ not required for double shear

$$k_3 = -1 + \sqrt{\frac{2(1 + R_e)}{R_e} + \frac{2F_{yb}(2 + R_e)D^2}{3F_{em}l_s^2}} = 2.3951$$

$$Z_{lm} = \frac{DI_m F_{em}}{R_{d,l}} = 5558 \text{ lb}$$
 NDS Eqn 12.3-7

$$Z_{ls} = \frac{2Dl_sF_{es}}{R_{d l}} = 2745 \text{ lb}$$
 NDS Eqn 12.3-8

$$Z_{IIIs} = \frac{2k_3DI_sF_{em}}{(2 + R_e)R_{d III.IV}} = 1826 \text{ lb}$$
 NDS Eqn 12.3-9

$$Z_{IV} = \frac{2D^2}{R_{d\ III.IV}} \sqrt{\frac{2F_{em}F_{yb}}{3(1+R_e)}} = 2394 \text{ lb}$$
 NDS Eqn 12.3-10

The controlling value is the minimum double shear capacity from the above equations.

$$Z_{control} = min(Z_{lm}, Z_{ls}, Z_{llls}, Z_{lV}) = 1826 lb$$
 (Yield Mode IIIs controls)

Find Adjusted Lateral Design Value, Z':

Adjustment factors from NDS Table 11.3.1:

$C_D = 1.25$	Duration Factor for 2% lateral loading
$C_{M} = 1.0$	Wet Service Factor NDS 11.3.3 (Assume < 19% moisture content)
$C_t = 1.0$	Temperature Factor NDS 11.3.4 (Temp up to 100°F)
$C_g = 1.0$	Group Action Factor NDS 11.3.6 (Single Fastener)
$C_{\Delta} = 1.0$	Geometry Factor NDS 12.5.1 (Assume End Dist. & spacing meet NDS Tables 12.5.1A and 12.5.1B)
$C_{eg} = 1.0$	End Grain Factor NDS 12.5.2 (Does not apply)
$C_{di} = 1.0$	Diaphragm Factor NDS 12.5.3 (Does not apply)
$C_{tn} = 1.0$	Toe Nail Factor NDS 12.5.4 (Does not apply)

Adjusted lateral design value Z' = $Z(C_D)(C_M)(C_t)(C_g)(C_\Delta)$ = 2283 lb